

## Exam 1 review problem

Name: \_\_\_\_\_

1. A car has an initial velocity of 25 m/s to the right and an acceleration of zero. Determine how far it will travel in 3.0 seconds. Determine the final velocity of the car.
  - a. Draw a diagram
  - b. Find the givens
  - c. Describe your approach
  - d. Solve
  - e. assess
2. A boy throws a ball straight up with an initial velocity of 14.7 m/s. Determine how long it's in the air before it comes back to its original height. What is the velocity at this point?
  - a. Draw a diagram
  - b. Find the givens
  - c. Describe your approach
  - d. Solve the problem
  - e. Assess
3. A daredevil wants to jump seven school busses parked in a row on her BMX bike. Using some pre-built ramps she'll need to travel 75 m horizontally from the top of one ramp to the next in order to clear the busses. She's got a ramp on the other side she can land on. It's important that she land right at the start of her landing ramp or she'll seriously injure herself. The pre-built take-off ramp has an angle of 30 degrees to the horizontal. If she did her physics correctly, she needs to take off at 29 m/s.
  - a. Draw a diagram that represents the above description
  - b. Can you help her check the necessary take off speed? Hint: use your results and information from problems 1 and 2 above.
  - c. Write down your givens and check that the initial velocity you determined in part b will actually fit all the requirements given in the problem statement.
  - d. Is this initial speed (velocity) possible on a BMX bike?
  - e. Create a set up that you think will allow the daredevil to successfully make this jump using the equipment that she has plus additional materials that you'll design and build for her.

$$x_f = x_i + v_{xi}\Delta t + \frac{1}{2} a_x(\Delta t)^2$$

$$\sin \theta = \text{opp/hyp}$$

$$a^2 + b^2 = c^2$$

$$v_{xf} = v_{xi} + a_x\Delta t$$

$$\cos \theta = \text{adj/hyp}$$

$$1609 \text{ meters} = 1 \text{ mile}$$

$$v_{xf}^2 = v_{xi}^2 + 2a_x(\Delta x)$$

$$\tan \theta = \text{opp/adj}$$

$$3600 \text{ seconds} = 1 \text{ hour}$$